

2 RAS-CI Contraction scheme ($N_\alpha \neq N_\beta$)

Scheme for the em RAS_Contrac_Odd(V,ItrRAS,M,Na,Nb) routine ($N_{alpha} \neq N_{beta}$):

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1 use Reduced_Lists
2 use Addressing
3 read Fock, integrals
4 set parameters & dimensions
5 ! Na/Nb = # alpha/beta electrons in RAS2
6 allocate amplitude vectors (jB) & responses (jR)
7 do Roots
8   read jB
9   do i1 = 1,M
10
11     if [Hole_a] then
12       do i1 = 1,MNAH_a = MIN_a: LM1N_a
13          $F_{is} = \langle Act_a | F | Hole_a \rangle \langle Act_b | Act_b \rangle$ 
14         build: LAH_1a(MNAH_1a), SgnAH_1a, doLAH_1a=true
15     enddo; endif
16     if [Hole_b] then
17       do i1 = 1,MNAH_b = MIN_b: LM1N_b
18          $F_{i\bar{s}} = \langle Act_b | F | Hole_b \rangle \langle Act_a | Act_a \rangle$ 
19         build: LAH_1b(MNAH_1b), SgnAH_1b, doLAH_1b=true
20     enddo; endif
21     if [Part_a] then
22       do i1 = 1,MNAP_a = MIN1_a: LM1N1_a
23          $F_{as} = \langle Act_a | F | Part_a \rangle \langle Act_b | Act_b \rangle$ 
24         build: LAP_1a(MNAP_1a), SgnAP_1a, doLAP_1a=true
25     enddo; endif
26     if [Part_b] then
27       do i1 = 1,MNAP_b = MIN1_b: LM1N1_b
28          $F_{a\bar{s}} = \langle Act_b | F | Part_b \rangle \langle Act_a | Act_a \rangle$ 
29         build: LAP_1b(MNAP_1b), SgnAP_1b, doLAP_1b=true
30     enddo; endif
31
32   do i2 = 1,i1
33     define: IFock, iXvv, iXoo1, iXoo2
34
35     if [Hole_a .and. (Hole_b.OR.Part_b)] then
36       call RAS_FormXah: LAH_2a(MNAH_a), SgnAH_2a, doLAH_2a=true
37       call RAS_FormXah: LAH_2b(MNAH_b), SgnAH_2b, doLAH_2b=true
38       do iA = 1,MNAH_a
39         define jAa_1, jAa_2, jHa_1, jHa_2
40         if [Hole_b] then
41           do iB = 1,MNAH_b = MIN_b
42             define jAb_1, jAb_2, jHb_1, jHb_2
43             define K_a, K_b, L_a, L_b (amplitude pointers)
44              $(is_1 | \bar{j}s_2) = \langle Hole_a | V | Act_a \rangle \langle Act_b | V | Hole_b \rangle$  (iXoo1)
45             if [i1.NE.i2]  $(is_2 | \bar{j}s_1) = \langle Hole_a | V | Act_a \rangle \langle Act_b | V | Hole_b \rangle$  (iXoo2)
46           enddo
47         endif
48         if [Part_b] then ! b-Part/a-Hole
49           RAS_FormXap: LAP_2b(MNAP_b), SgnAP_2b, doLAP_2b=true
50           define jAa_1, jAa_2 (from LAH_1a, LAH_2a)
51           do iB = 1,MNAP_b = MIN1_b

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52         define jAb_1 ,jAb_2 ,jPb_1 ,jPb_2 (from LAP_1b,LAP_2b)
53         ( $\bar{a}s_1|is_2$ )=< Part_b|V|Act_b >< Act_a|V|Hole_a > (iXvo1)
54         if [i1.NE.i2] ( $\bar{a}s_2|is_1$ )=< Part_b|V|Act_b >< Act_a|V|Hole_a > (iXvo2)
55     enddo; endif; enddo; endif
56
57     if [Part_a .and. (Part_b.or.Hole_b)] then
58         RAS_FormXap: LAP_2a(MNAP.a), SgnAP_2a, doLAP_2a=true
59         do iA = 1,MNAP.a = MIN1.a
60             define jAa_1 ,jAa_2 ,jPa_1 ,jPa_2 (from LAP_1a,LAP_2a)
61             if [Part_b] then ! a-Part/b-Part
62                 if [.not.doLAP_2b] RAS_FormXap: LAP_2b(MNAP.b), SgnAP_2b, doLAP_2b=true
63                 do iB = 1,MNAP.b = MIN1.b
64                     define jAb_1 ,jAb_2 ,jPb_1 ,jPb_2 (from LAP_1b,LAP_2b)
65                     define iKa,iKb,iLa,iLb (amplitude pointers)
66                     ( $as_1|\bar{b}s_2$ )=< Part_a|V|Act_a >< Act_b|V|Part_b > (iXvv)
67                     if [i1.NE.i2] ( $as_2|\bar{b}s_1$ )=< Part_a|V|Act_a >< Act_b|V|Part_b > (iXvv)
68                 enddo; endif
69                 if [Hole_b] then ! a-Part/b-Hole
70                     if [.not.doLAH_2b] call RAS_FormXah: LAH_2b(MNAH.b), SgnAH_2b, doLAH_2b=true
71                     define jAa_1 ,jAa_2 ,jPa_1 ,jPa_2 (from LAP_1a,LAP_2a)
72                     do iB = 1,MNAH.b = MIN_b
73                         define jAb_1 ,jAb_2 ,jHb_1 ,jHb_2 (from LAH_1b,LAH_2b)
74                         ( $as_1|\bar{i}s_2$ )=< Part_a|V|Act_a >< Act_b|V|Hole_b > (iXvo1)
75                         if [i1.NE.i2] ( $as_2|\bar{i}s_1$ )=< Part_a|V|Act_a >< Act_b|V|Hole_b > (iXvo2)
76                     enddo; endif; enddo; endif
77
78     !c*****c
79     !c* i1 != i2 case *c
80     !c*****c
81     if [i1.NE.i2] then
82
83         if [(M-2).ge.(Na-1) .and. Na.gt.0] then
84             do l1 = 1,MNAA_12a ! MNAA_12a = M2N1.a: LM2N1.a
85                 build LAA_12a
86                  $F_{ss'}$  =< Act_a|F|Act_a >< Act_b|Act_b >
87                 if [Hole_b]
88                      $F_{ss'}$  =< Act_a|F|Act_a >< Hole_b|Hole_b >
89                     ( $ss'|\bar{i}j$ )=< Hole_b|V|Hole_b >< Act_a|V|Act_a >
90                 endif
91                 if [Part_b] then
92                     ( $ss'|\bar{a}b$ )=< Part_b|V|Part_b >< Act_a|V|Act_a >
93                      $F_{ss'}$  =< Act_a|F|Act_a >< Part_b|Part_b >
94                 endif
95                 if [Hole_a .and. Part_a] then
96                     ( $as|is'$ )=< Hole_a|V|Part_a >< Act_b|Act_b >
97             endif; enddo; endif
98         if [(M-2).ge.(Nb-1) .and. Nb.gt.0] then
99             do l1 = 1,MNAA_12b ! MNAA_12b = M2N1.b: LM2N1.b
100                 build LAA_12b
101                  $F_{\bar{s}\bar{s}'}$  =< Act_b|F|Act_b >< Act_a|Act_a >
102                 if [Hole_a] then
103                      $F_{\bar{s}\bar{s}'}$  =< Act_b|F|Act_b >< Hole_a|Hole_a >
104                     ( $\bar{s}\bar{s}'|ij$ )=< Hole_a|V|Hole_a >< Act_b|V|Act_b >
105                 endif
106             if [Part_a] then

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107      ( $\bar{s}s'|ab$ ) = < Parta|V|Parta > < Actb|V|Actb >
108      F $\bar{s}s'$  = < Actb|F|Actb > < Parta|Parta >
109      endif
110      if [Hole_b .and. Part_b] then
111          ( $\bar{a}\bar{s}|\bar{i}\bar{s}'$ ) = < Holeb|V|Partb > < Acta|Acta >
112      endif; enddo; endif
113
114      if [Hole_a .and. (M-2).ge.Na] then
115          do ll = 1, MNHH_12a ! MNHH_12a = M2N_a: LM2N_a
116              F $\bar{s}s'$  = < Holea|F|Holea > < Actb|Actb >
117              ( $\bar{s}s'|ij$ ) = < Holea|V|Holea > < Actb|Actb >
118              ( $\bar{s}i|s'j$ ) = < Holea|V|Holea > < Actb|Actb >
119          enddo; endif
120      if [Hole_b .and. (M-2).ge.Nb] then
121          do ll = 1, MNHH_12b ! MNHH_12b = M2N_b: LM2N_b
122              F $\bar{s}s'$  = < Holeb|F|Holeb > < Acta|Acta >
123              ( $\bar{s}\bar{s}'|\bar{i}\bar{j}$ ) = < Holeb|V|Holeb > < Acta|Acta >
124              ( $\bar{s}\bar{i}|\bar{s}'\bar{j}$ ) = < Holeb|V|Holeb > < Acta|Acta >
125          enddo; endif
126
127      if [Part_a .and. Na.ge.2] then
128          do ll = 1, MNPP_12a ! MNPP_12a = M2N2_a: LM2N2_a
129              ( $\bar{s}s'|ab$ ) = < Parta|V|Parta > < Actb|Actb >
130              ( $\bar{s}a|s'b$ ) = < Parta|V|Parta > < Actb|Actb >
131              F $\bar{s}s'$  = < Parta|F|Parta > < Actb|Actb >
132          enddo; endif
133      if [Part_b .and. Nb.ge.2] then
134          do ll = 1, MNPP_12b ! MNPP_12b = M2N2_b: LM2N2_b
135              ( $\bar{s}\bar{s}'|\bar{a}\bar{b}$ ) = < Partb|V|Partb > < Acta|Acta >
136              ( $\bar{s}\bar{a}|\bar{s}'\bar{b}$ ) = < Partb|V|Partb > < Acta|Acta >
137              F $\bar{s}s'$  = < Partb|F|Partb > < Acta|Acta >
138          enddo; endif
139
140      !c*****c
141      !c* i1 = i2 case *c
142      !c*****c
143      else ! [i1.EQ.i2]
144
145          if [(M-1).ge.(Na-1) .and. Na.gt.0] then
146              do ll = 1, MNAA_12a ! MNAA_12a = M1N1_a: LM1N1_a
147                  build LAA_12a
148                  F $\bar{s}s$  = < Acta|F|Acta > < Actb|Actb >
149                  if [Hole_b] then
150                      F $\bar{s}s$  = < Acta|F|Acta > < Holeb|Holeb >
151                      ( $\bar{s}s|\bar{i}\bar{j}$ ) = < Holeb|V|Holeb > < Acta|V|Acta >
152                  endif
153                  if [Part_b] then
154                      ( $\bar{s}s|\bar{a}\bar{b}$ ) = < Partb|V|Partb > < Acta|V|Acta >
155                      F $\bar{s}s$  = < Acta|F|Acta > < Partb|Partb >
156                  endif; enddo; endif
157
158          if [(M-1).ge.(Nb-1) .and. Nb.gt.0] then
159              do ll = 1, MNAA_12b ! MNAA_12b = M1N1_b: LM1N1_b
160                  build LAA_12b
161                  F $\bar{s}\bar{s}$  = < Actb|F|Actb > < Acta|Acta >

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162         if [Hole_a] then
163              $F_{\bar{s}\bar{s}} = \langle Act_b | F | Act_b \rangle \langle Hole_a | Hole_a \rangle$ 
164              $(\bar{s}\bar{s}|ij) = \langle Hole_a | V | Hole_a \rangle \langle Act_b | V | Act_b \rangle$ 
165         endif
166         if [Part_a] then
167              $(\bar{s}\bar{s}|ab) = \langle Part_a | V | Part_a \rangle \langle Act_b | V | Act_b \rangle$ 
168              $F_{\bar{s}\bar{s}} = \langle Act_b | F | Act_b \rangle \langle Part_a | Part_a \rangle$ 
169         endif; enddo; endif
170
171     if [Hole_a] then
172         do ll=1,MNHH_12a ! MNHH_12a = MIN_a: LMIN_a
173              $F_{ss} = \langle Hole_a | F | Hole_a \rangle \langle Act_b | Act_b \rangle$ 
174              $(ss|ij) = \langle Hole_a | V | Hole_a \rangle \langle Act_b | Act_b \rangle$ 
175              $(si|sj) = \langle Hole_a | V | Hole_a \rangle \langle Act_b | Act_b \rangle$ 
176         enddo; endif
177     if [Hole_b] then
178         do ll=1,MNHH_12b ! MNHH_12b = MIN_b: LMIN_b
179              $F_{\bar{s}\bar{s}} = \langle Hole_b | F | Hole_b \rangle \langle Act_a | Act_a \rangle$ 
180              $(\bar{s}\bar{s}|\bar{i}\bar{j}) = \langle Hole_b | V | Hole_b \rangle \langle Act_a | Act_a \rangle$ 
181              $(\bar{s}\bar{i}|\bar{s}\bar{j}) = \langle Hole_b | V | Hole_b \rangle \langle Act_a | Act_a \rangle$ 
182         enddo; endif
183
184     if [Part_a .and. Na.ge.2] then
185         do ll = 1,MNPP_12a ! MNPP_12a = MIN2_a: LMIN2_a
186              $(ss|ab) = \langle Part_a | V | Part_a \rangle \langle Act_b | Act_b \rangle$ 
187              $(sa|sb) = \langle Part_a | V | Part_a \rangle \langle Act_b | Act_b \rangle$ 
188              $F_{ss} = \langle Part_a | F | Part_a \rangle \langle Act_b | Act_b \rangle$ 
189         enddo; endif
190     if [Part_b .and. Nb.ge.2] then
191         do ll = 1,MNPP_12b ! MNPP_12b = MIN2_b: LMIN2_b
192              $(\bar{s}\bar{s}|\bar{a}\bar{b}) = \langle Part_b | V | Part_b \rangle \langle Act_a | Act_a \rangle$ 
193              $(\bar{s}\bar{a}|\bar{s}\bar{b}) = \langle Part_b | V | Part_b \rangle \langle Act_a | Act_a \rangle$ 
194              $F_{\bar{s}\bar{s}} = \langle Part_b | F | Part_b \rangle \langle Act_a | Act_a \rangle$ 
195         enddo; endif
196
197     endif ! [i1.EQ.i2]
198
199     do i3 = 1,i1
200         do i4 = 1,i4max
201             define: iXssss,  $I_{ijkl}$ 
202             CALL FormXij: LAA_34a, LHH_34a, LPP_34a !excitation lists and signs
203             CALL FormXij: LAA_34b, LHH_34b, LPP_34b !excitation lists and signs
204
205             !*****
206             !* 2 elec alpha/beta *
207             !*****
208             do iA = 1,MNAA_12a
209                 do iB = 1,MNAA_34b ! [Act-Act]
210                      $(s_1s_2|\bar{s}_3\bar{s}_4) = \langle Act_a | V | Act_a \rangle \langle Act_b | V | Act_b \rangle$  ! (1)
211                     if [ $I_{ijkl}$ .ge.7]  $(s_1s_2|\bar{s}_4\bar{s}_3) = \langle Act_a | V | Act_a \rangle \langle Act_b | V | Act_b \rangle$  ! (1')
212                 enddo
213                 do iB = 1,MNHH_34b ! [Hole_b-Hole_b]
214                      $(s_1s_2|\bar{s}_3\bar{s}_4) = \langle Act_a | V | Act_a \rangle \langle Hole_b | V | Hole_b \rangle$  ! (1)
215                     if [ $I_{ijkl}$ .ge.7]  $(s_1s_2|\bar{s}_4\bar{s}_3) = \langle Act_a | V | Act_a \rangle \langle Hole_b | V | Hole_b \rangle$  ! (1')
216                 enddo

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217     do iB = 1, MNPP_34b ! [Part_b-Part_b]
218         ( $s_1s_2|\bar{s}_3\bar{s}_4\rangle = \langle Act_a|V|Act_a\rangle \langle Part_b|V|Part_b\rangle$  ! (1)
219         if [ $I_{ijkl} \cdot ge .7$ ] ( $s_1s_2|\bar{s}_4\bar{s}_3\rangle = \langle Act_a|V|Act_a\rangle \langle Part_b|V|Part_b\rangle$  ! (1'))
220     enddo
221 enddo
222
223 if [MNHH_12a.gt.0 .or. MNPP_12a.gt.0] then
224     do iB = 1, MNAA_34b
225         do iA = 1, MNHH_12a ! [Hole_a-Hole_a]
226             ( $\bar{s}_1\bar{s}_2|\bar{s}_3\bar{s}_4\rangle = \langle Hole_a|V|Hole_a\rangle \langle Act_b|V|Act_b\rangle$  ! (3)
227             if [ $I_{ijkl} \cdot ge .7$ ] ( $s_1s_2|\bar{s}_4\bar{s}_3\rangle = \langle Hole_a|V|Hole_a\rangle \langle Act_b|V|Act_b\rangle$  ! (3'))
228         enddo
229         do iA = 1, MNPP_12a ! [Part_a-Part_a]
230             ( $s_1s_2|\bar{s}_3\bar{s}_4\rangle = \langle Part_a|V|Part_a\rangle \langle Act_b|V|Act_b\rangle$  ! (3)
231             if [ $I_{ijkl} \cdot ge .7$ ] ( $s_1s_2|\bar{s}_4\bar{s}_3\rangle = \langle Part_a|V|Part_a\rangle \langle Act_b|V|Act_b\rangle$  ! (3'))
232         enddo
233     enddo
234 endif
235
236 if [ $I_{ijkl} \cdot ne .1 ,7$ ] then
237     do iB = 1, MNAA_12b
238         do iA = 1, MNAA_34a ! [Act-Act]
239             ( $\bar{s}_1\bar{s}_2|s_3s_4\rangle = \langle Act_a|V|Act_a\rangle \langle Act_b|V|Act_b\rangle$  ! (2)
240             if [ $I_{ijkl} \cdot gt .7$ ] ( $\bar{s}_1\bar{s}_2|s_4s_3\rangle = \langle Act_a|V|Act_a\rangle \langle Act_b|V|Act_b\rangle$  ! (2'))
241         enddo
242         if [MNHH_34a.gt.0] then ! [Hole_a-Hole_a]
243             do iA = 1, MNHH_34a
244                 ( $\bar{s}_1\bar{s}_2|s_3s_4\rangle = \langle Hole_a|V|Hole_a\rangle \langle Act_b|V|Act_b\rangle$  ! (2)
245                 if [ $I_{ijkl} \cdot gt .7$ ] ( $\bar{s}_1\bar{s}_2|s_4s_3\rangle = \langle Hole_a|V|Hole_a\rangle \langle Act_b|V|Act_b\rangle$  ! (2'))
246             enddo
247         endif
248         if [MNPP_34a.gt.0] then ! [Part_a-Part_a]
249             do iA = 1, MNPP_34a
250                 ( $\bar{s}_1\bar{s}_2|s_3s_4\rangle = \langle Part_a|V|Part_a\rangle \langle Act_b|V|Act_b\rangle$  ! (2)
251                 if [ $I_{ijkl} \cdot gt .7$ ] ( $\bar{s}_1\bar{s}_2|s_4s_3\rangle = \langle Part_a|V|Part_a\rangle \langle Act_b|V|Act_b\rangle$  ! (2'))
252             enddo
253         endif
254     enddo
255
256 if [MNHH_12b.gt.0 .or. MNPP_12b.gt.0] then
257     do iA = 1, MNAA_34a
258         do iB = 1, MNHH_12b ! [Hole_b-Hole_b]
259             ( $\bar{s}_1\bar{s}_2|s_3s_4\rangle = \langle Hole_b|V|Hole_b\rangle \langle Act_a|V|Act_a\rangle$  ! (4)
260             if [ $I_{ijkl} \cdot gt .7$ ] ( $\bar{s}_1\bar{s}_2|s_4s_3\rangle = \langle Hole_b|V|Hole_b\rangle \langle Act_a|V|Act_a\rangle$  ! (4'))
261         enddo
262         do iB = 1, MNPP_12b ! [Part_b-Part_b]
263             ( $\bar{s}_1\bar{s}_2|s_3s_4\rangle = \langle Part_b|V|Part_b\rangle \langle Act_a|V|Act_a\rangle$  ! (4)
264             if [ $I_{ijkl} \cdot gt .7$ ] ( $\bar{s}_1\bar{s}_2|s_4s_3\rangle = \langle Part_b|V|Part_b\rangle \langle Act_a|V|Act_a\rangle$  ! (4'))
265         enddo
266     enddo
267 endif
268 endif
269
270
271

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272 !*****
273 !* 2-elec alpha/alpha *
274 !*****
275     if [Iijkl = 1,3,5] then !*****
276         deallocate LAA_34σ ,LHH_34σ ,LPP_34σ (σ = a ,b)
277         cycle i4
278
279     elseif [Iijkl = 2,7 .and. M.ge.2] then !*****
280
281         if [Na.ge.2] then
282             do ll = 1,LM2N2.a
283                 (ss|ss) = < Acta|V|Acta > < Actb|Actb >
284                 if [Hole_b] then
285                     (ss|ss) = < Acta|V|Acta > < Holeb|Holeb >
286                 endif
287                 if [Part_b] then
288                     (ss|ss) = < Acta|V|Acta > < Partb|Partb >
289                 endif; enddo; endif
290         if [Nb.ge.2]
291             do ll = 1,LM2N2.b
292                 (s̄s̄|s̄s̄) = < Actb|V|Actb > < Acta|Acta >
293                 if [Hole_a] then
294                     (s̄s̄|s̄s̄) = < Actb|V|Actb > < Holea|Holea >
295                 endif
296                 if [Part_a] then
297                     (s̄s̄|s̄s̄) = < Actb|V|Actb > < Parta|Parta >
298                 endif; enddo; endif
299
300         if [Hole_a .and. (M-2).ge.(Na-1) .and. Na.gt.0] then
301             do ll = 1,LM2N1.a
302                 (ss|ss) = < Holea|V|Holea > < Actb|Actb >
303             enddo; endif
304         if [Hole_b .and. (M-2).ge.(Nb-1) .and. Nb.gt.0] then
305             do ll = 1,LM2N1.b
306                 (s̄s̄|s̄s̄) = < Holeb|V|Holeb > < Acta|Acta >
307             enddo; endif
308
309         if [Part_a .and. Na.ge.3] then
310             do ll = 1,LM2N3.a
311                 (ss|ss) = < Parta|V|Parta > < Actb|Actb >
312             enddo; endif
313         if [Part_b .and. Nb.ge.3] then
314             do ll = 1,LM2N3.b
315                 (s̄s̄|s̄s̄) = < Partb|V|Partb > < Acta|Acta >
316             enddo; endif
317
318     elseif [Iijkl = 4,6,8,9,10 .and. M.ge.3] then !*****
319
320         if [Na.ge.2 .and. (M-3).ge.(Na-2)] then ! <Act_a|V|Act_a> <X_b|X_b>
321             do ll = 1,LM3N2.a
322                 (ss|ss) = < Acta|V|Acta > < Actb|Actb >
323                 if [Hole_b] then
324                     (ss|ss) = < Acta|V|Acta > < Holeb|Holeb >
325                 endif
326                 if [Part_b] then

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327         (ss|ss) = < Acta|V|Acta > < Partb|Partb >
328     endif; enddo; endif
329     if [Nb.ge.2 .and. (M-3).ge.(Nb-2)] then ! <Actb|V|Actb> <Xa|Xa>
330     do ll = 1,LM3N2.b
331         (s̄s̄|s̄s̄) = < Actb|V|Actb > < Acta|Acta >
332         if [Holea] then
333             (s̄s̄|s̄s̄) = < Actb|V|Actb > < Holea|Holea >
334         endif
335         if [Parta] then
336             (s̄s̄|s̄s̄) = < Actb|V|Actb > < Parta|Parta >
337     endif; enddo; endif
338
339     if [Holea .and. (M-3).ge.(Na-1) .and. Na.gt.0] then
340     do ll = 1,LM3N1.a
341         (ss|ss) = < Holea|V|Holea > < Actb|Actb >
342     enddo; endif
343     if [Holeb .and. (M-3).ge.(Nb-1) .and. Nb.gt.0] then
344     do ll = 1,LM3N1.b
345         (s̄s̄|s̄s̄) = < Holeb|V|Holeb > < Acta|Acta >
346     enddo; endif
347
348     if [Parta .and. Na.ge.3] then
349     do ll = 1,LM3N3.a
350         (ss|ss) = < Parta|V|Parta > < Actb|Actb >
351     enddo; endif
352     if [Partb .and. Nb.ge.3] then
353     do ll = 1,LM3N3.b
354         (s̄s̄|s̄s̄) = < Partb|V|Partb > < Acta|Acta >
355     enddo; endif
356
357 elseif [Iijkl = 11 .and. M.ge.4] the !*****
358
359     if [Na.ge.2 .and. (M-4).ge.(Na-2)] then ! <Acta|V|Acta> <Xb|Xb>
360     do ll = 1,LM4N2.a
361         (ss|ss) = < Acta|V|Acta > < Actb|Actb > (2 times)
362         if [Holeb] then
363             (ss|ss) = < Acta|V|Acta > < Holeb|Holeb > (2 times)
364         endif
365         if [Partb] then
366             (ss|ss) = < Acta|V|Acta > < Partb|Partb > (2 times)
367         endif; enddo; endif
368     if [Nb.ge.2 .and. (M-4).ge.(Nb-2)] then ! <Actb|V|Actb> <Xa|Xa>
369     do ll = 1,LM4N2.b
370         (s̄s̄|s̄s̄) = < Actb|V|Actb > < Acta|Acta > (2 times)
371         if [Holea] then
372             (s̄s̄|s̄s̄) = < Actb|V|Actb > < Holea|Holea > (2 times)
373         endif
374         if [Parta] then
375             (s̄s̄|s̄s̄) = < Actb|V|Actb > < Parta|Parta > (2 times)
376     endif; enddo; endif
377
378     if [Holea .and. (M-4).ge.(Na-1) .and. Na.gt.0] then
379     do ll = 1,LM4N1.a
380         (ss|ss) = < Holea|V|Holea > < Actb|Actb > (2 times)
381     enddo; endif

```

```

382     if [Hole_b .and. (M-4).ge.(Nb-1) .and. Nb.gt.0] then
383         do ll = 1,LM4N1b
384             ( $\bar{s}s|\bar{s}s$ )= $\langle Hole_b|V|Hole_b \rangle \langle Act_a|Act_a \rangle$  (2 times)
385         enddo;endif
386
387     if [Part_a .and. Na.ge.3 .and. (M-4).ge.(Na-3)]
388         do ll = 1,LM4N3.a
389             ( $ss|ss$ )= $\langle Part_a|V|Part_a \rangle \langle Act_b|Act_b \rangle$  (2 times)
390         enddo;endif
391     if [Part_b .and. Nb.ge.3 .and. (M-4).ge.(Nb-3)]
392         do ll = 1,LM4N3.b
393             ( $\bar{s}s|\bar{s}s$ )= $\langle Part_b|V|Part_b \rangle \langle Act_a|Act_a \rangle$  (2 times)
394         enddo;endif
395
396     deallocate LAA_34 $\sigma$ , LHH_34 $\sigma$ , LPP_34 $\sigma$ 
397     enddo ! i4, i3
398
399     if [Hole .or. Part] then
400         do i3 = 1,M
401             if [Na.lt.1 .and. Nb.lt.1] cycle i3
402
403             !*****
404             !* 2-elec alpha/beta *
405             !*****
406             do iA = 1,MNAA_12a ! LAA_12a(MNAA_12a)
407                 if [Hole_b .and. (M-1).ge.Nb] then !  $\langle Act_b|V|Hole_b \rangle \langle Act_a|V|Act_a \rangle$ 
408                     do ll = 1,LM1N_b
409                         ( $ss|\bar{s}\bar{i}$ )= $\langle Act_b|V|Hole_b \rangle \langle Act_a|V|Act_a \rangle$ 
410                         if [ $I_{ijkl}$ .ge.9] ( $ss|\bar{s}\bar{i}$ )= $\langle Act_b|V|Hole_b \rangle \langle Act_a|V|Act_a \rangle$ 
411                     enddo;endif
412                 if [Part_b] then !  $\langle Act_b|V|Part_b \rangle \langle Act_a|V|Act_a \rangle$ 
413                     do ll = 1,LM1N1_b
414                         ( $ss|\bar{s}\bar{a}$ )= $\langle Act_b|V|Part_b \rangle \langle Act_a|V|Act_a \rangle$ 
415                         if [ $I_{ijkl}$ .ge.9] ( $ss|\bar{s}\bar{a}$ )= $\langle Act_b|V|Part_b \rangle \langle Act_a|V|Act_a \rangle$ 
416                     enddo;endif;enddo
417
418             do iB = 1,MNAA_12b ! LAA_12b(MNAA_12b)
419                 if [Hole_a .and. (M-1).ge.Na] then !  $\langle Act_a|V|Hole_a \rangle \langle Act_b|V|Act_b \rangle$ 
420                     do ll = 1,LM1N_a
421                         ( $\bar{s}\bar{s}|si$ )= $\langle Act_a|V|Hole_a \rangle \langle Act_b|V|Act_b \rangle$ 
422                         if [ $I_{ijkl}$ .ge.9] ( $\bar{s}\bar{s}|si$ )= $\langle Act_a|V|Hole_a \rangle \langle Act_b|V|Act_b \rangle$ 
423                     enddo;endif
424                 if [Part_a] then !  $\langle Act_a|V|Part_a \rangle \langle Act_b|V|Act_b \rangle$ 
425                     do ll = 1,LM1N1_a
426                         ( $\bar{s}\bar{s}|si$ )= $\langle Act_a|V|Part_a \rangle \langle Act_b|V|Act_b \rangle$ 
427                         if [ $I_{ijkl}$ .ge.9] ( $\bar{s}\bar{s}|si$ )= $\langle Act_a|V|Part_a \rangle \langle Act_b|V|Act_b \rangle$ 
428                     enddo;endif;enddo
429
430             !*****
431             !* 2-elec alpha/alpha *
432             !*****
433             NMin = 1; if [.not.Hole] NMin = 2
434             if [(Na.lt.NMin .and. Nb.lt.NMin) .or.  $I_{ijkl} = 5$ ] then !*****
435                 cycle i3
436

```



```

437 elseif [Iijkl = 6,9,10] then !*****
438   if [Hole_a .and. (M-2).ge.(Na-1) .and. Na.gt.0] then
439     do ll = 1,LM2N1.a
440       (ss|si) = < Acta|V|Holea > < Actb|Actb >
441     enddo; endif
442   if [Hole_b .and. (M-2).ge.(Nb-1) .and. Nb.gt.0] then
443     do ll = 1,LM2N1.b
444       (s̄s|s̄i) = < Actb|V|Holeb > < Acta|Acta >
445     enddo; endif
446
447   if [Part_a .and. Na.ge.2] then
448     do ll = 1,LM2N2.a
449       (ss|sa) = < Acta|V|Parta > < Actb|Actb >
450     enddo; endif
451   if [Part_b .and. Nb.ge.2] then
452     do ll = 1,LM2N2.b
453       (s̄s|s̄a) = < Actb|V|Partb > < Acta|Acta >
454     enddo; endif
455
456 elseif [Iijkl = 11 .and. M.ge.3] then !*****
457   if [Hole_a .and. (M-3).ge.(Na-1) .and. Na.gt.0] then
458     do ll = 1,LM3N1.a
459       (ss|si) = < Acta|V|Holea > < Actb|Actb > (2 times)
460     enddo; endif
461   if [Hole_b .and. (M-3).ge.(Nb-1) .and. Nb.gt.0] then
462     do ll = 1,LM3N1.b
463       (s̄s|s̄i) = < Actb|V|Holeb > < Acta|Acta > (2 times)
464     enddo; endif
465
466   if [Part_a .and. Na.ge.2 .and. (M-3).ge.(Na-2)] then
467     do ll = 1,LM3N2.a
468       (ss|sa) = < Acta|V|Parta > < Actb|Actb > (2 times)
469     enddo; endif
470   if [Part_b .and. Nb.ge.2 .and. (M-3).ge.(Nb-2)] then
471     do ll = 1,LM3N2.b
472       (s̄s|s̄a) = < Actb|V|Partb > < Acta|Acta > (2 times)
473     enddo; endif
474 enddo ! i3,i2,i1
475
476 if [Part_a] then
477   Fab = < Parta|F|Parta > < Actb|Actb >
478 endif
479 if [Part_b] then
480   Fāb̄ = < Partb|F|Partb > < Acta|Acta >
481 endif
482 if [Hole_a] then
483   Fij = < Holea|F|Holea > < Actb|Actb >
484 endif
485 if [Hole_b] then
486   Fīj̄ = < Holeb|F|Holeb > < Acta|Acta >
487 endif
488 write response vector (jR) into disk
489 end Roots

```